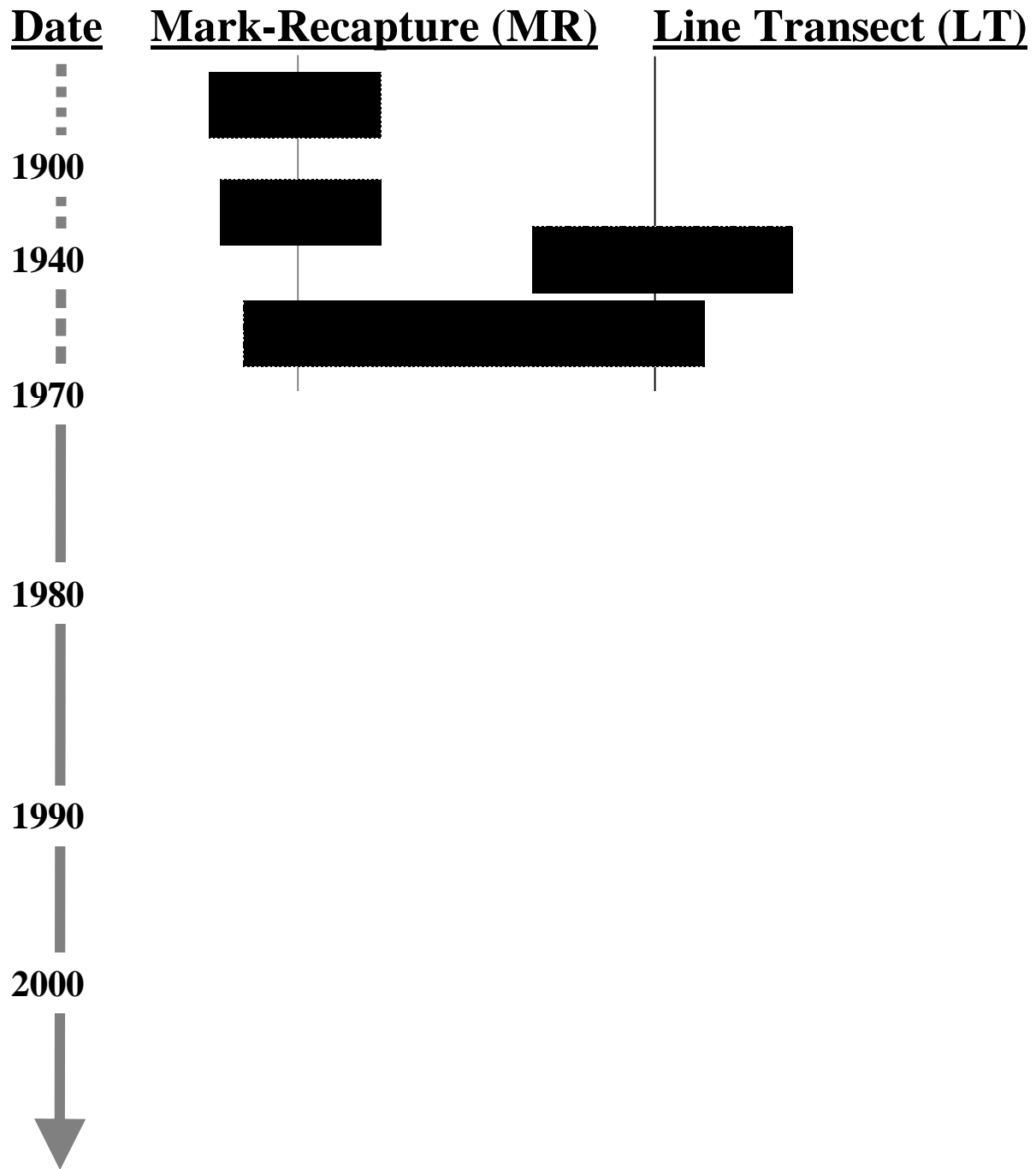


Line Transect Sampling

A Brief History



Software

```

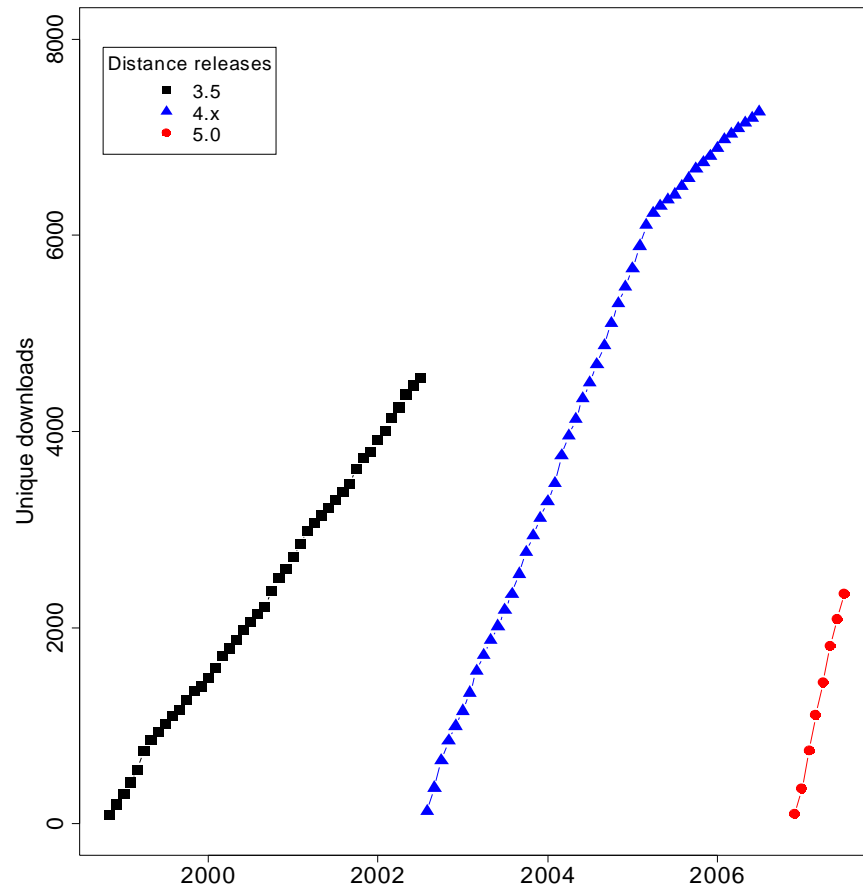
DISTANCE>assign input=ext.inp;
options;
dist/measure=inches/width=2;
length/measure=feet/units=meters;
area/units=square meters;
title='Illustrative examples from
end;
data;
stratum/label='Circle Survey D';
sample/label='Line 1';
.59 .86 .57 .86 1.48 1.48;
end;
dataset has been stored.
est;
est/key=lnormal;
est/key=unif;
end;
    
```



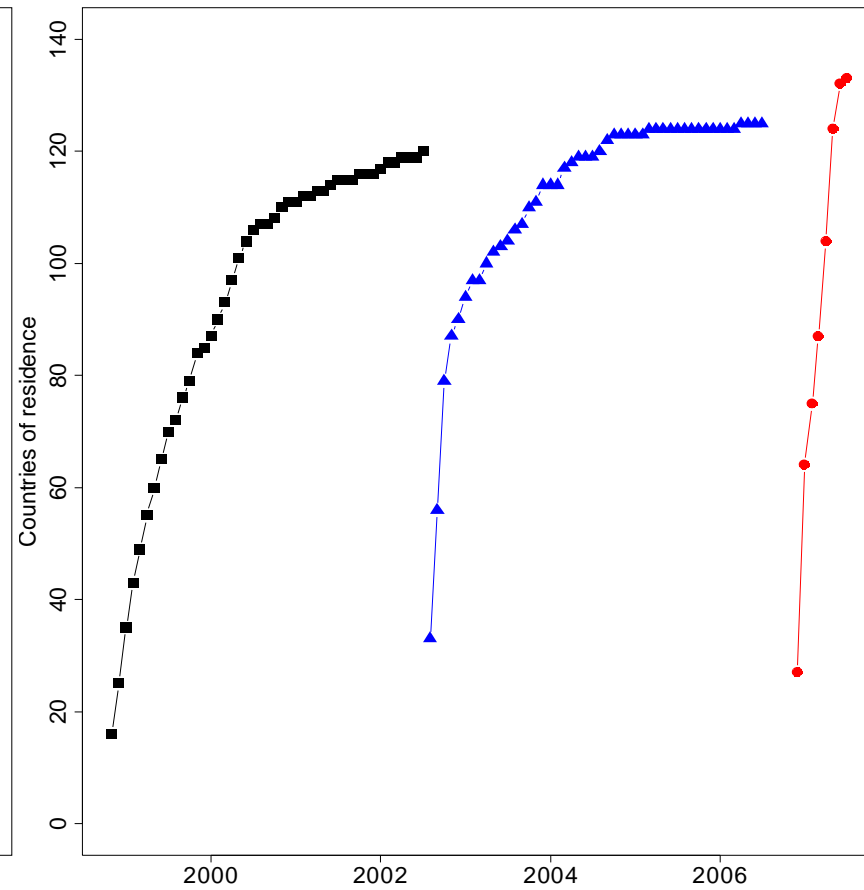
Distance Users



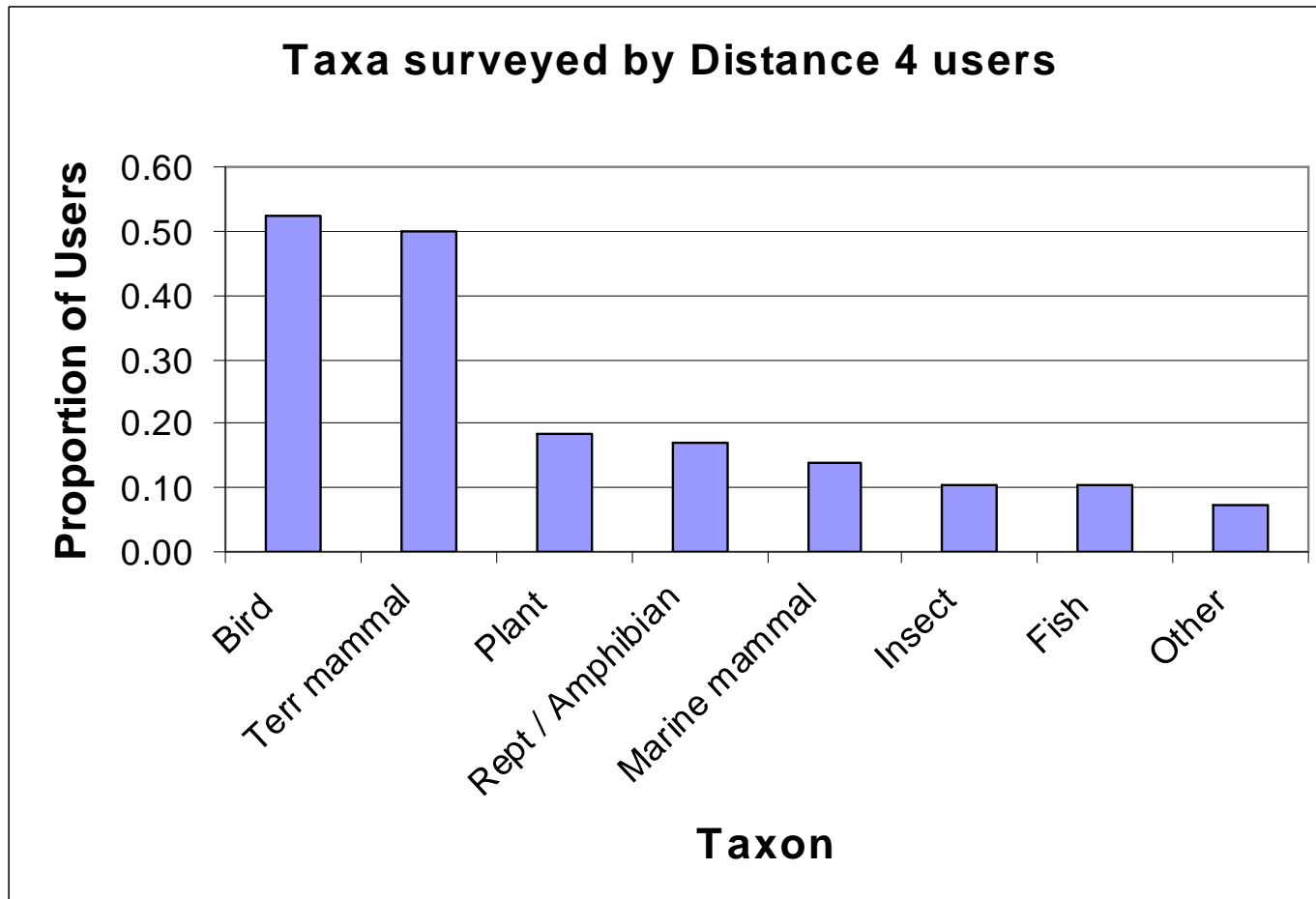
Registered Distance users



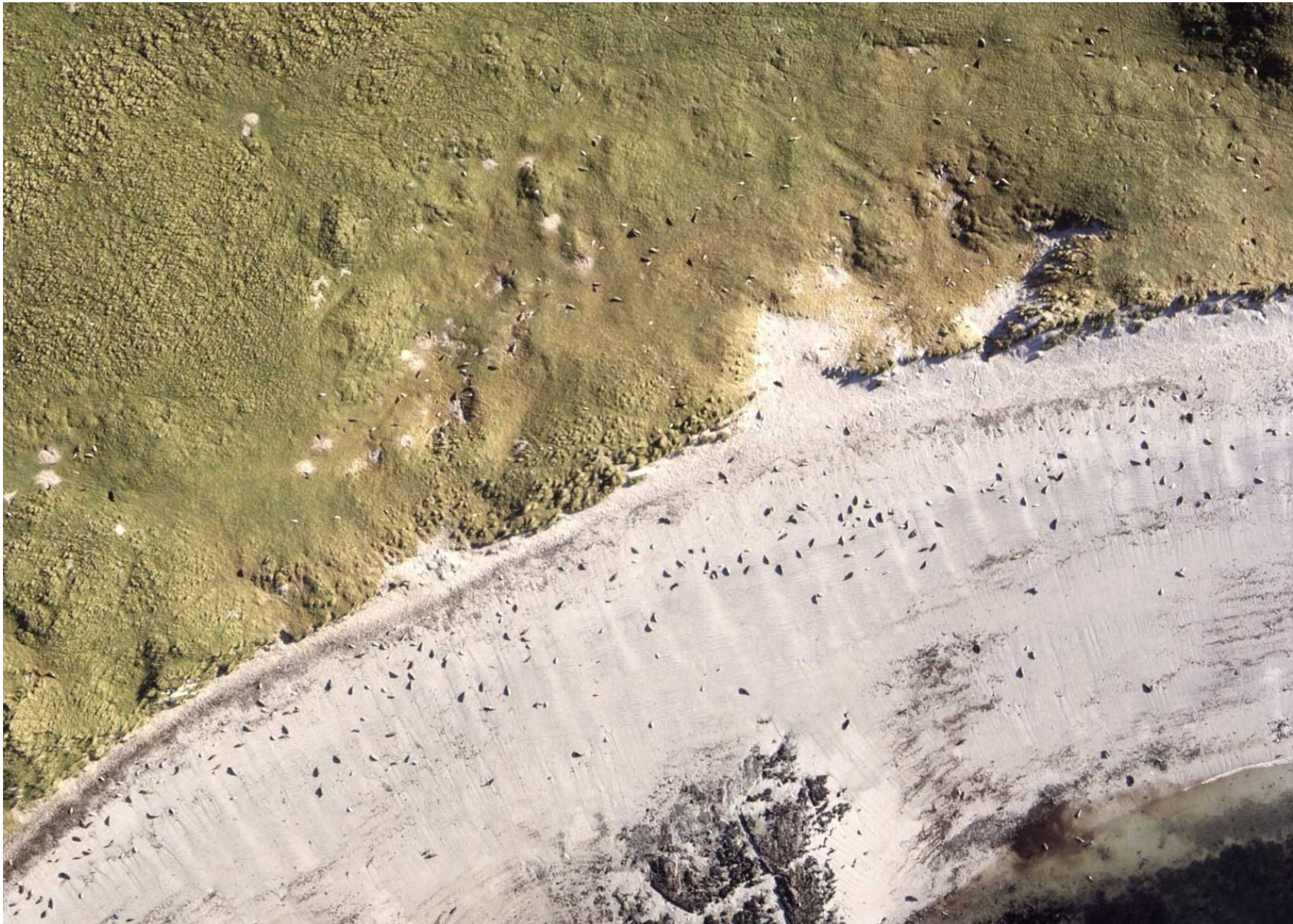
Countries where registered Distance users reside



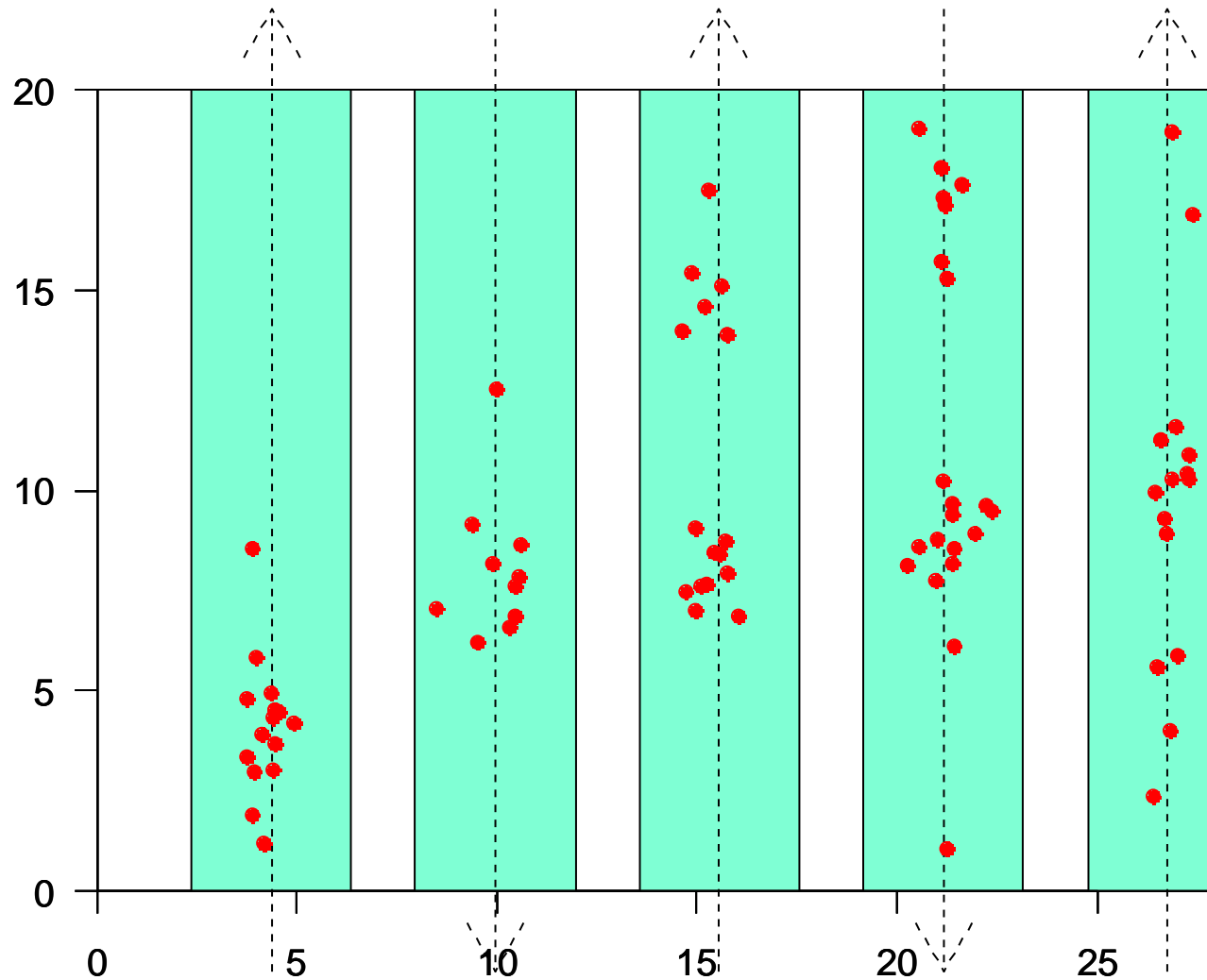
Distance Users



Simple Example



Example strip transect survey

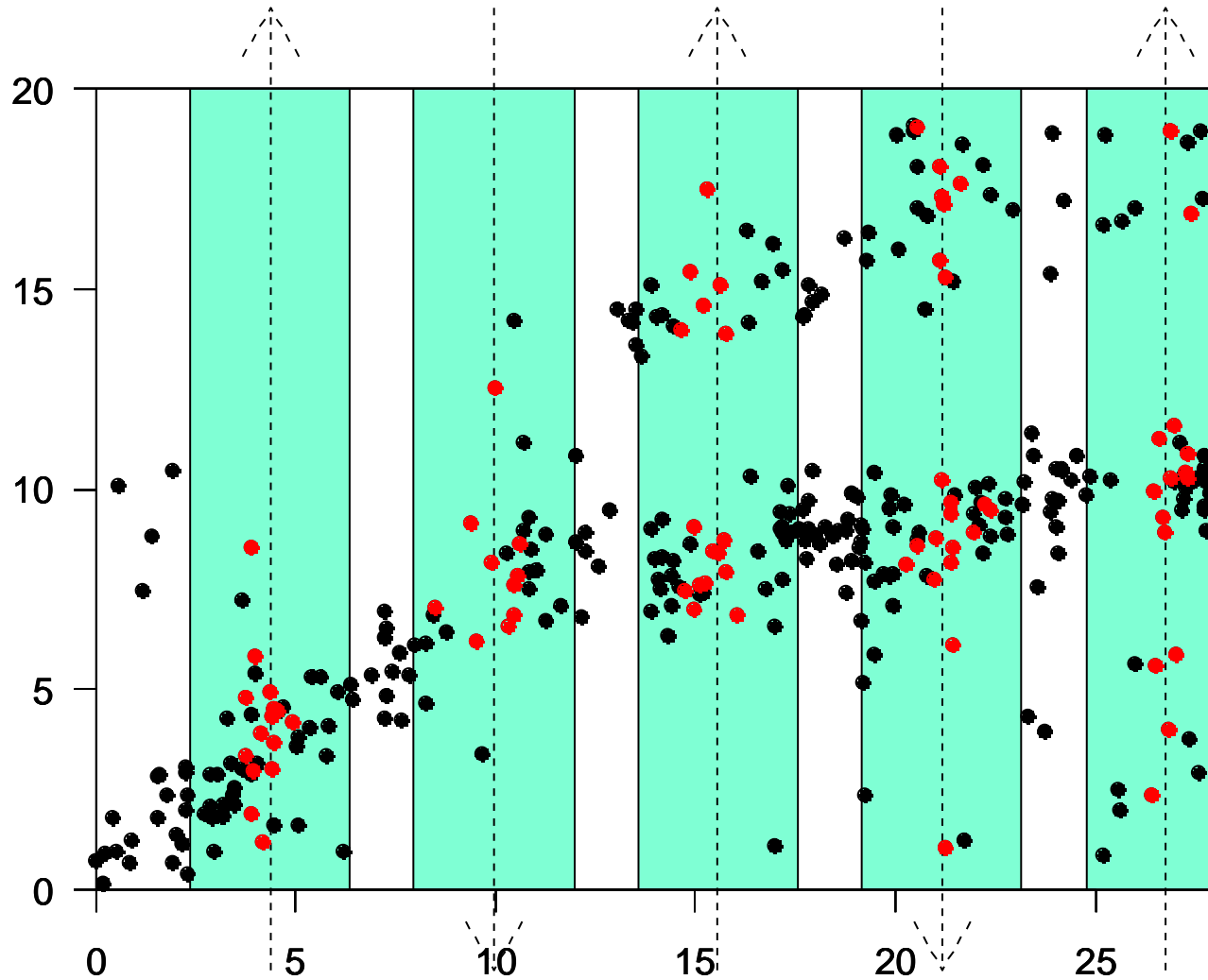


Strip Transect Estimator

- N_c is the number of animals in the **covered region**
 - I saw $n=N_c=80$ animals.
- Area of Strips is a ; Area of Survey Region is A ; ($a/A=0.8$)
- Standard Hotwitz-Thompson Estimator of the number in the survey region uses the number in the **covered region** and proportion of survey region which is covered :

$$\hat{N} = \frac{n}{\left(\frac{a}{A}\right)} = \frac{80}{0.8} = 100$$

Example line transect survey



Line Transect Estimator

- **Step 1:** Estimate N_c , number of animals in the **covered region**
 - I saw $n=80$ animals.
 - I (somehow) estimate probability of detecting animals in the covered region to be $p=0.55$. Hence Horwitz-Thompson-like estimator:

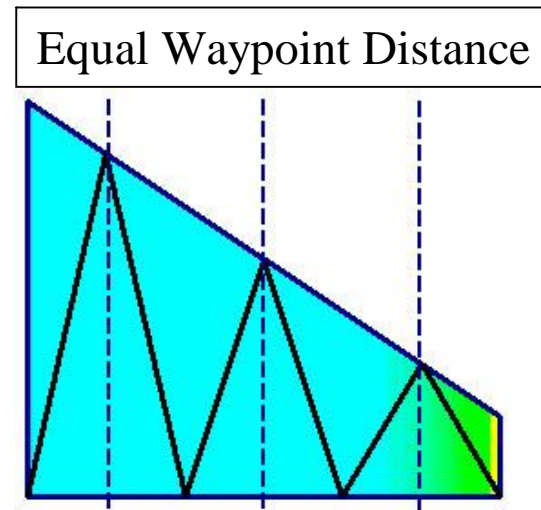
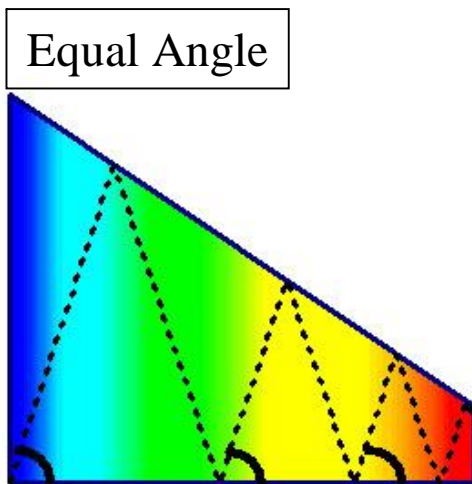
$$\hat{N}_c = \frac{n}{p} = \frac{80}{0.55} = 145$$

- **Step 2:** Estimate the number in the survey region (N) using the estimated number in the **covered region** as before:

$$\hat{N} = \frac{\hat{N}_c}{\left(\frac{a}{A}\right)} = \frac{145}{0.8} = 182$$

Some Design Issues

- Equal coverage probability is design-unbiased (no matter what animal distribution).
- Parallel line design (and others) gives equal coverage.
- Zig-zag may not give equal coverage.
- Stratifying improves precision.
- Can make coverage equal, or build unequal coverage into estimation.

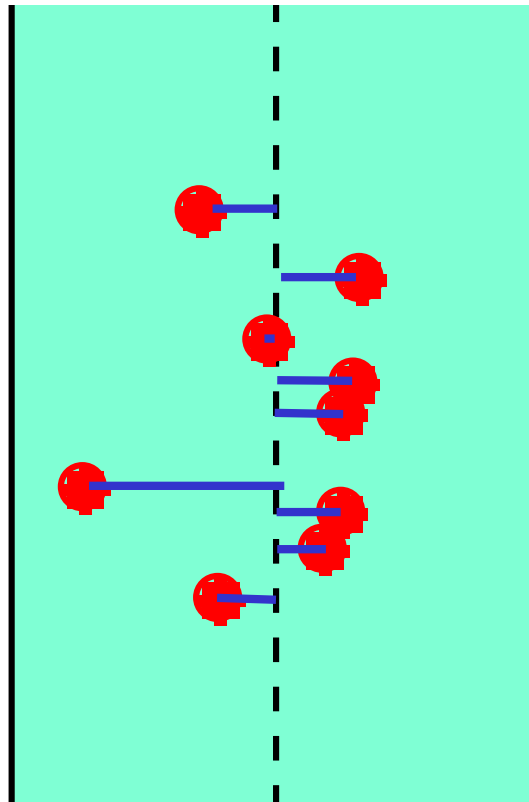


Line Transect Estimator

- Estimation of p is crucial.
- Where does p come from?

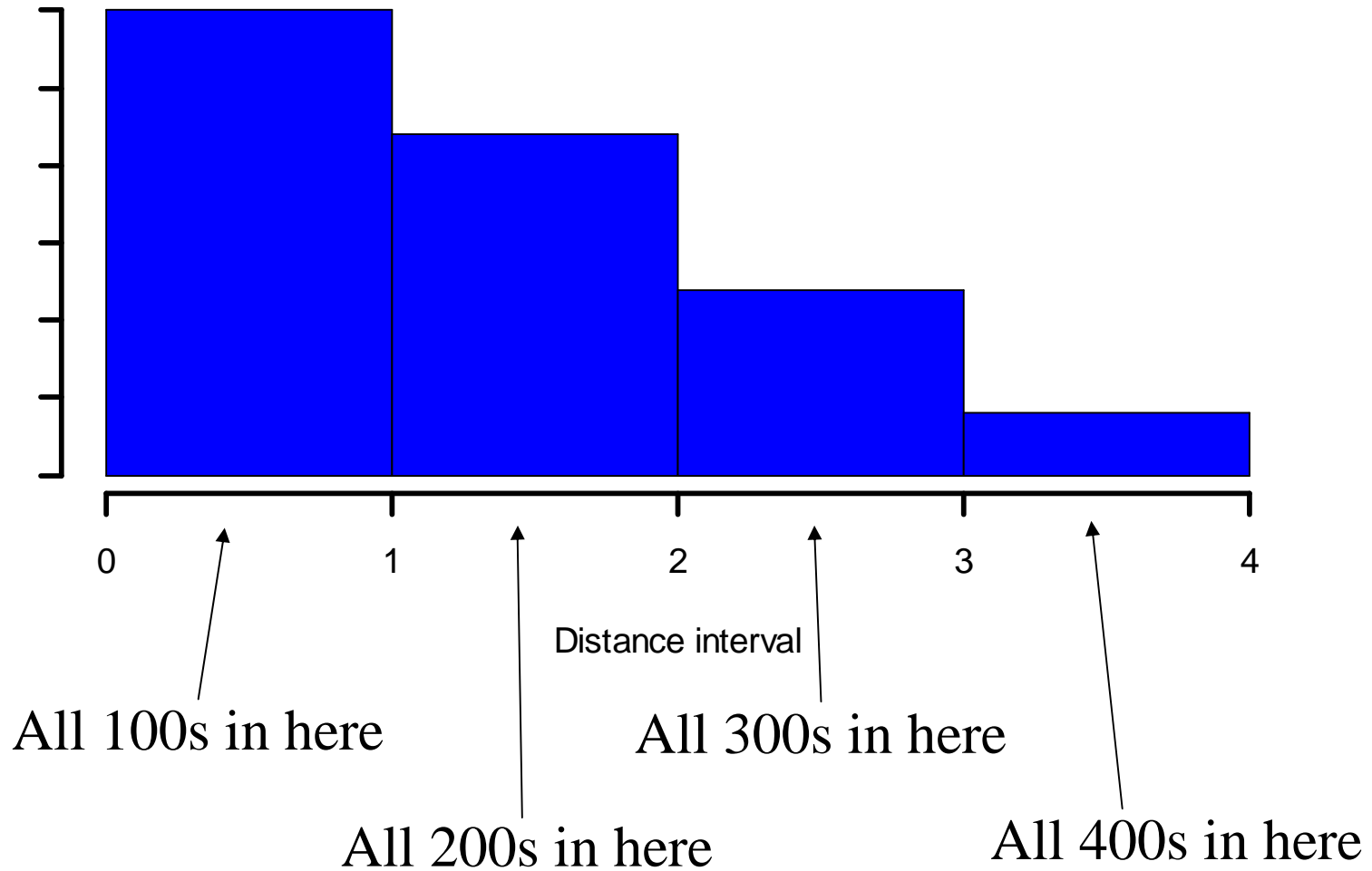
Estimating p

Record perpendicular distance, x , from transect line to each observed object



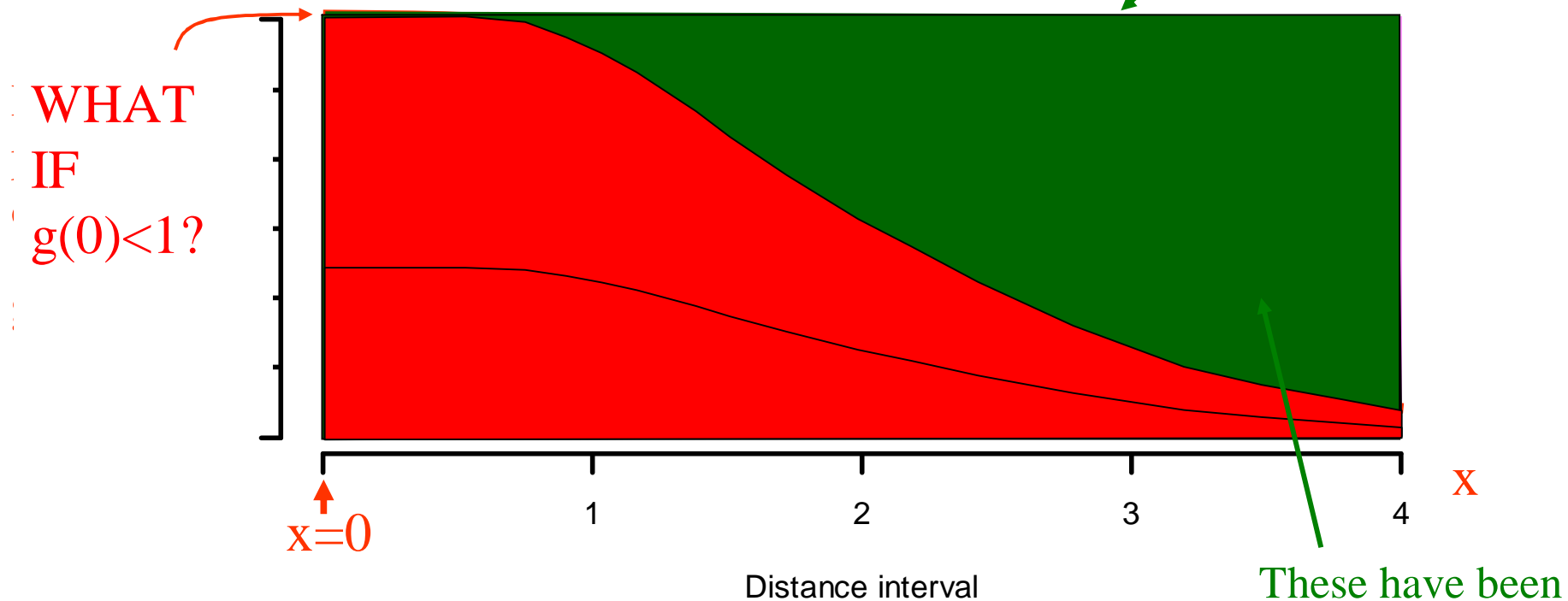
Draw a histogram

Class example distances are encoded in the numbers



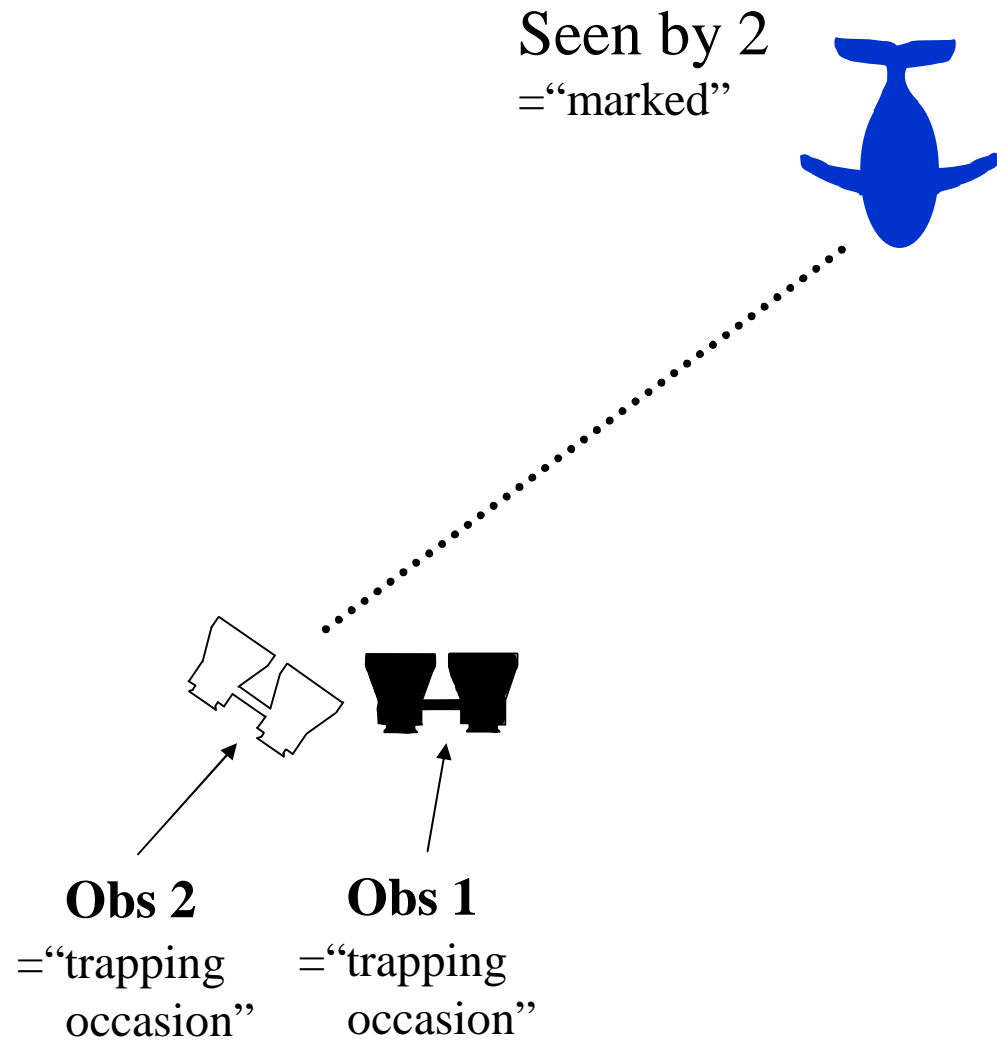
Fit a detection function

Plot sampling
detection function

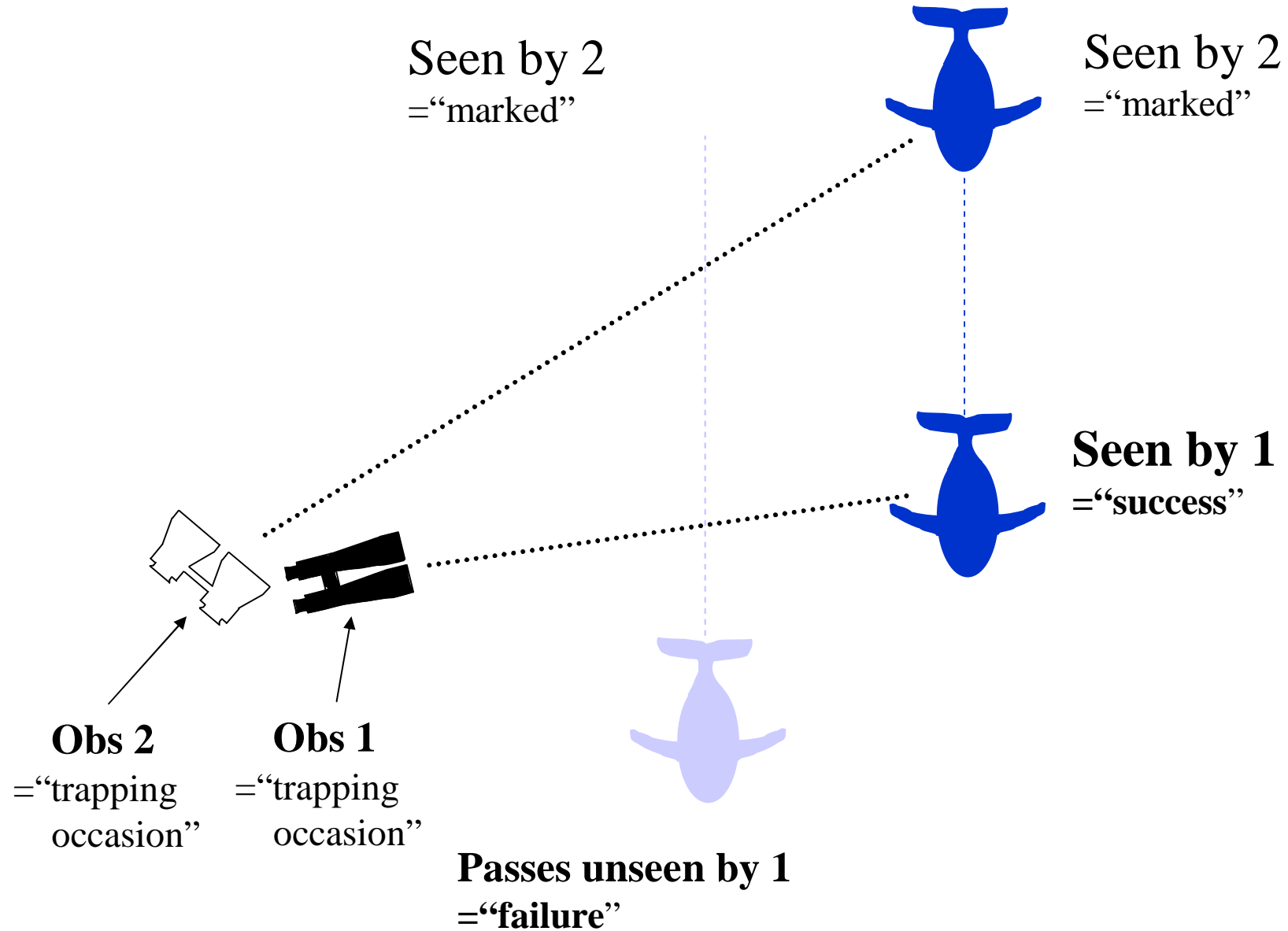


- Area under rectangle = $4 \times 1 = 4$
- Area under curve = 2.2
- Therefore estimate proportion seen $\hat{p} = 2.2 / 4 = 0.55$

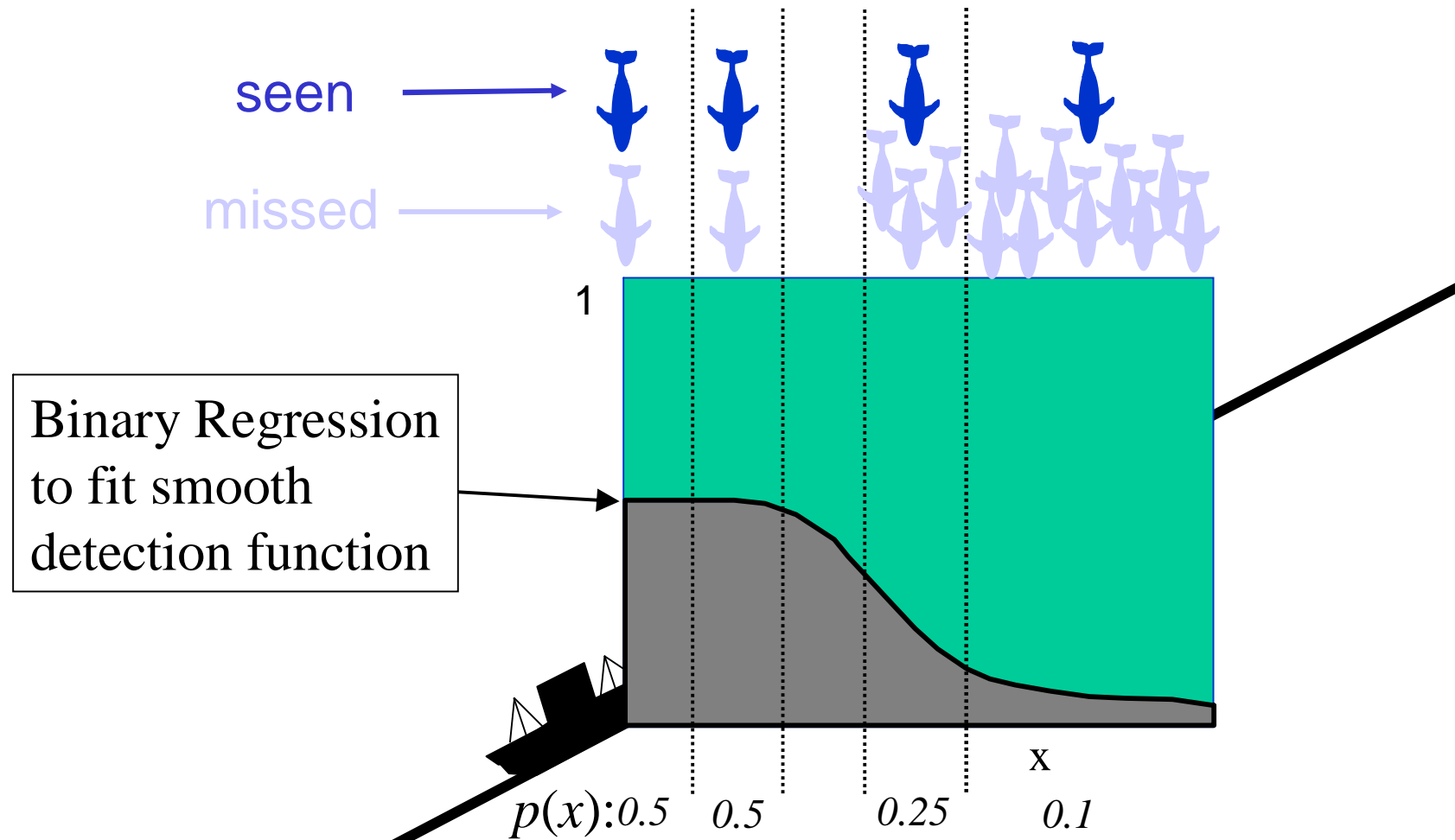
Visual Mark-Recapture



Visual Mark-Recapture

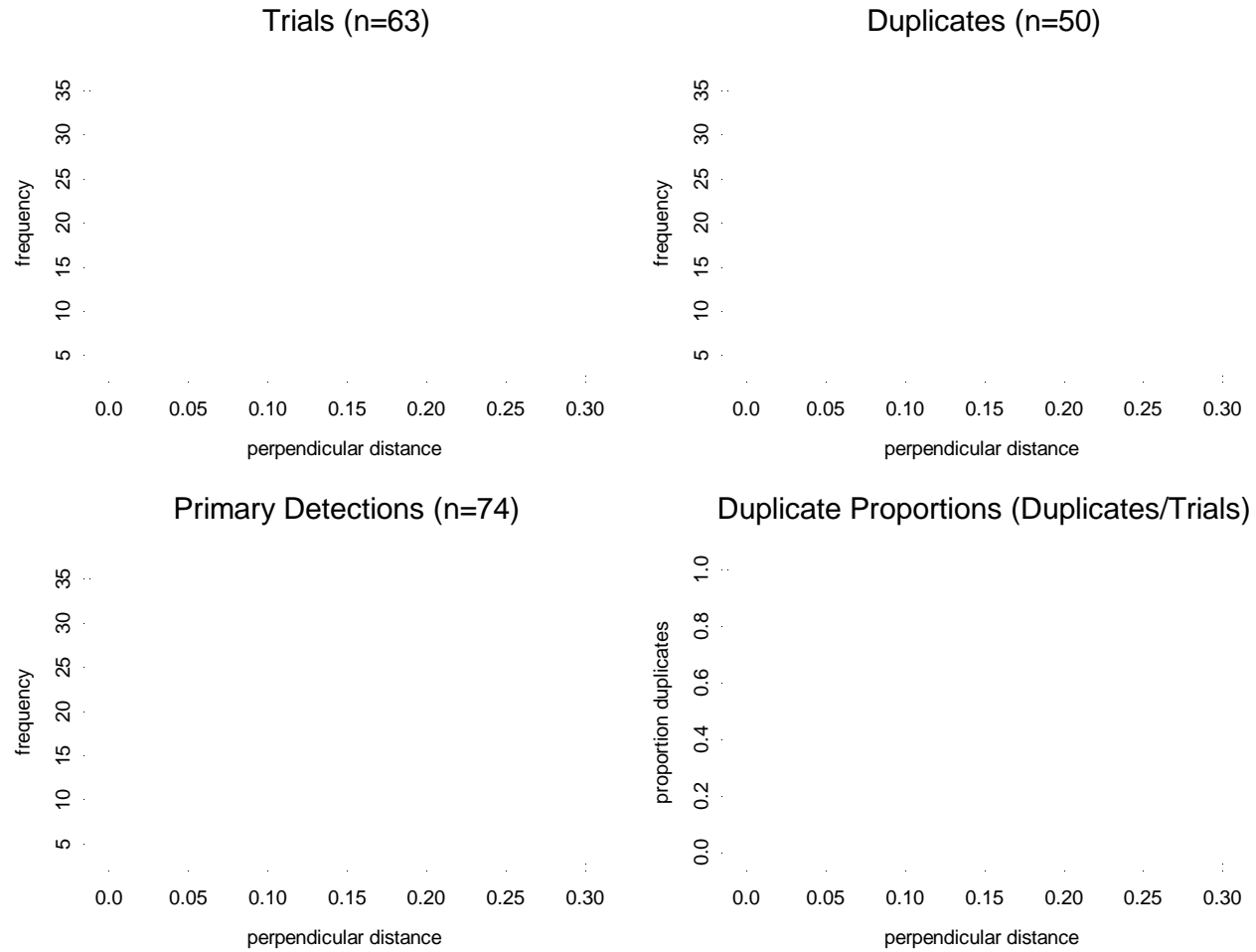


Treat as Mark-Recapture data with distance (x) as covariate

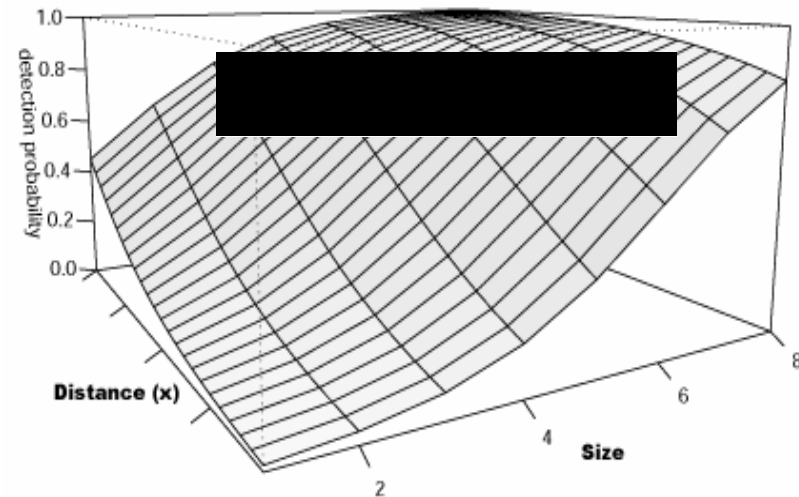
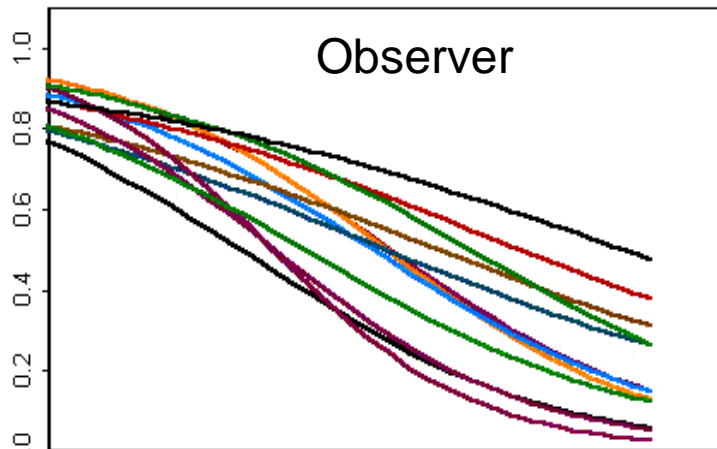
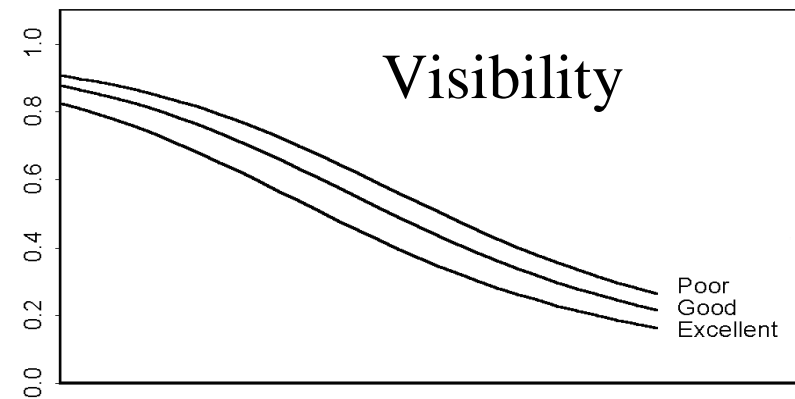
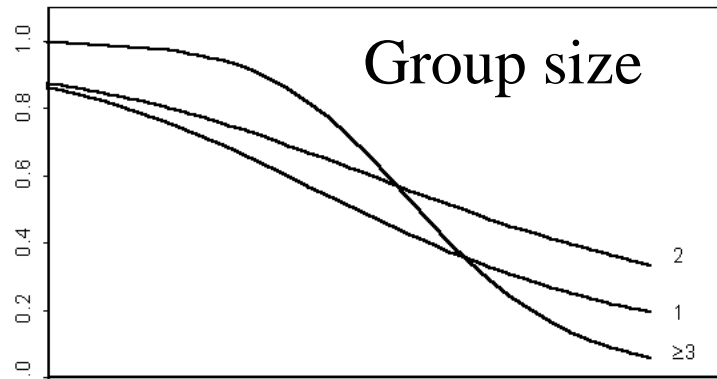


Note: this illustration is a little unrealistic as there are more "trials" at larger distances. (Not a problem, but unlikely to happen.)

Common Dolphins in Atlantic

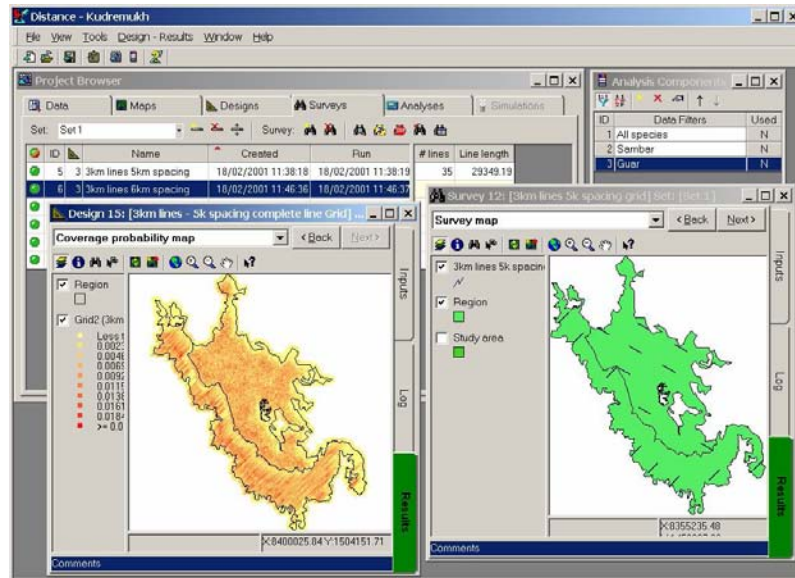


Things affecting detection probability (Sources of Heterogeneity)



Some Recent Developments

Automated Design and Unequal Coverage Estimators



Density Surface Modelling (Random design not essential)

